

# **Distinguishability as a noise performance metric for EIT algorithms** Andy Adler<sup>1</sup>, Fabian Braun<sup>2,3</sup>, Josep Solà<sup>2</sup>

<sup>1</sup>Carleton University, Ottawa, Canada; <sup>2</sup>CSEM SA, Neuchâtel, Switzerland; <sup>3</sup>EPFL, Lausanne, Switzerland

#### Problem

We are motivated by the need to compare EIT algorithms and approaches in order to choose optimal algorithms and measurement configurations. Such comparisons are needed to answer questions such as:

- What skip (spacing) between stimulation patterns is best to measure the lungs?
- Would it be useful to put a few extra electrodes near the heart?
- Has algorithm A a lower position error than B?

Such comparisons are not straightforward because most EIT algorithms have at least one tunable parameter (a "hyperparameter",  $\lambda$ ) which controls the trade-off between the ability to reject noise (noise performance) and the **resolution** and other accuracies.

#### Survey

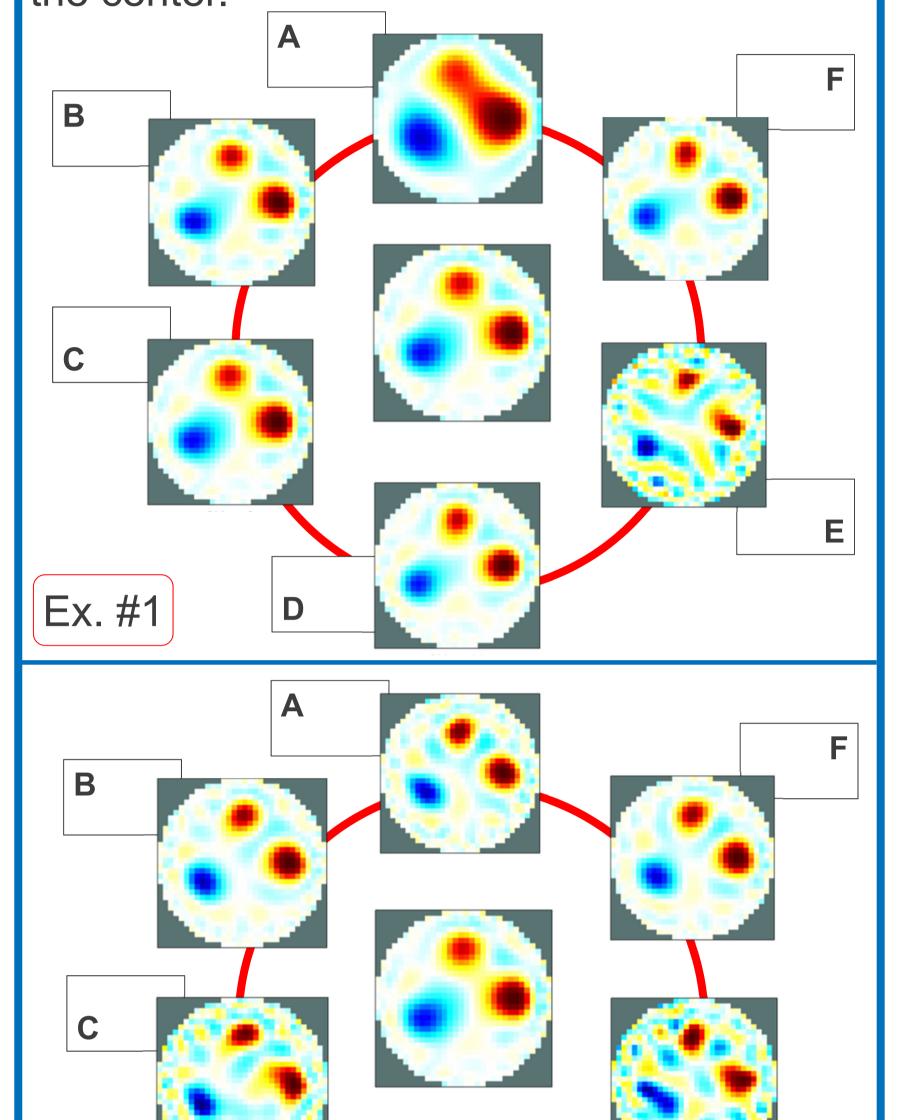
Ex. #2

Π

Skip = 0

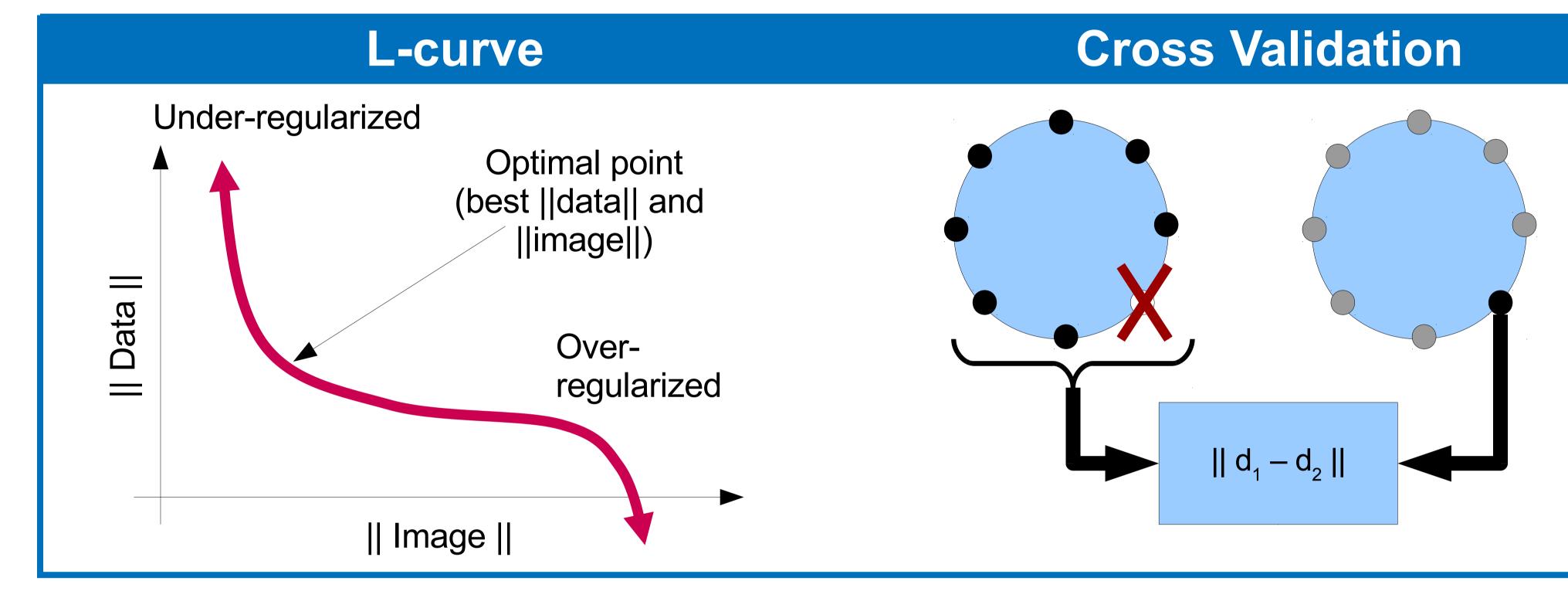
Skip = 0

The authors decline all liability for damage caused by this brain racking survey! **Instructions:** For each example #1 to #3, choose two images from A-E showing the closest noise performance with the image in the center.



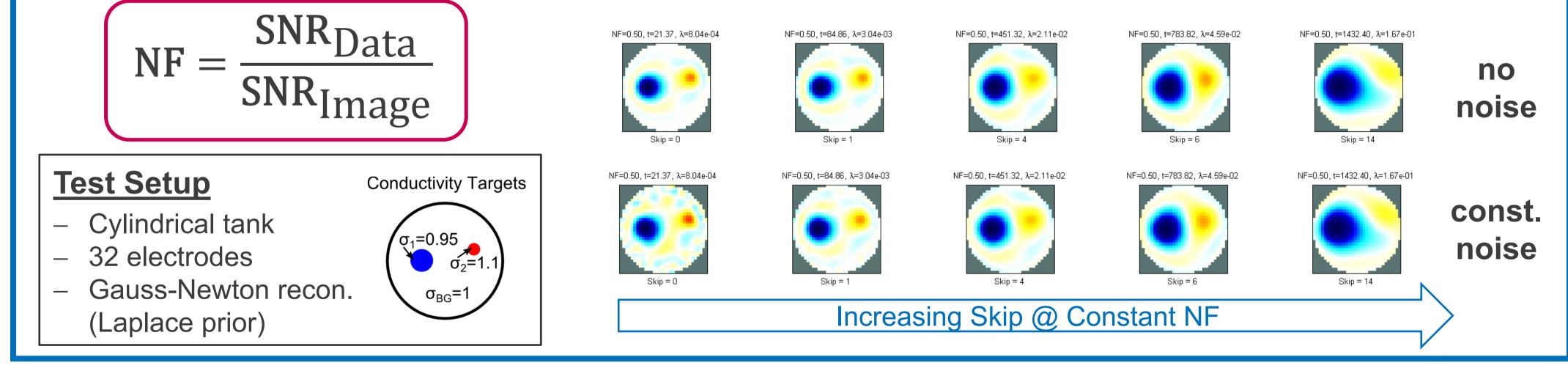
The values of  $\lambda$  are chosen based on either heuristic criteria, or using techniques such as the L-curve[1], cross validation[1] or the noise figure[2] as further discussed below. Such approaches require data for each tested algorithm to be identical. They are thus not suitable to compare across electrode positions or stimulation strategies. To address this requirement, we propose an approach based on a distinguishability metric[3].

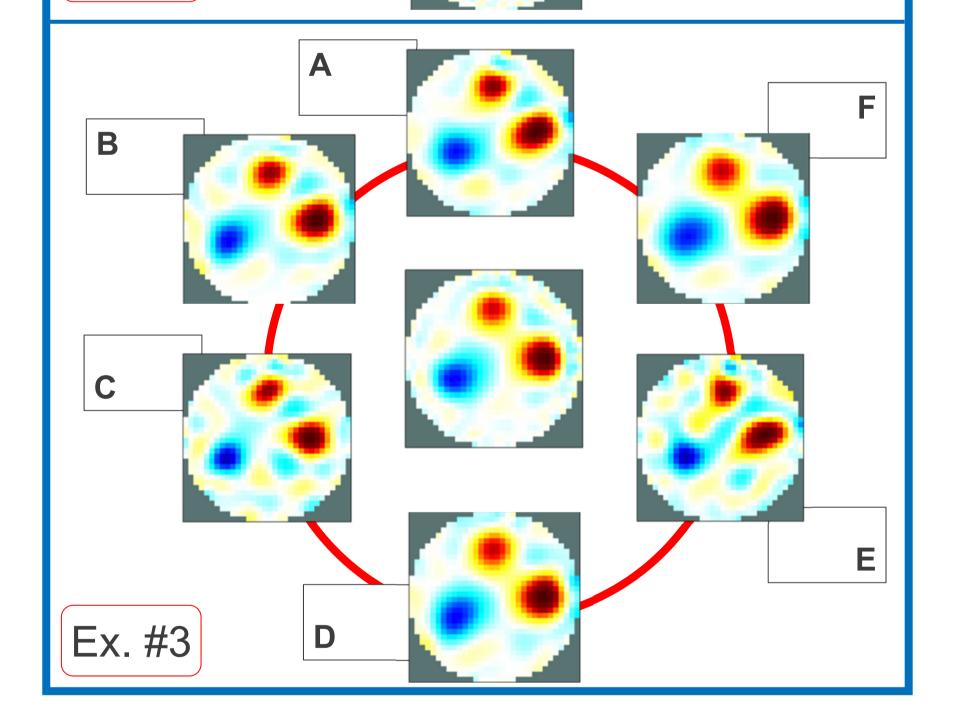
[1] P. C. Hansen. Rank-Deficient and Discrete III-Posed Problems 1st edn, SIAM Philadelphia, 1997. [2] B. M. Graham, et al. Physiol Meas, 27:S65, 2006. [3] A. Adler, et al. Physiol Meas, 32:731, 2011.



### **Noise Figure**

A common choice to select  $\lambda$  so that a measure of noise performance is equal: a common choice is the noise figure (NF). However, this is only applicable when comparing algorithms with identical data. It is thus not suitable to compare across electrode positions or stimulation strategies (as illustrated in the example below).





Ε

## Distinguishability

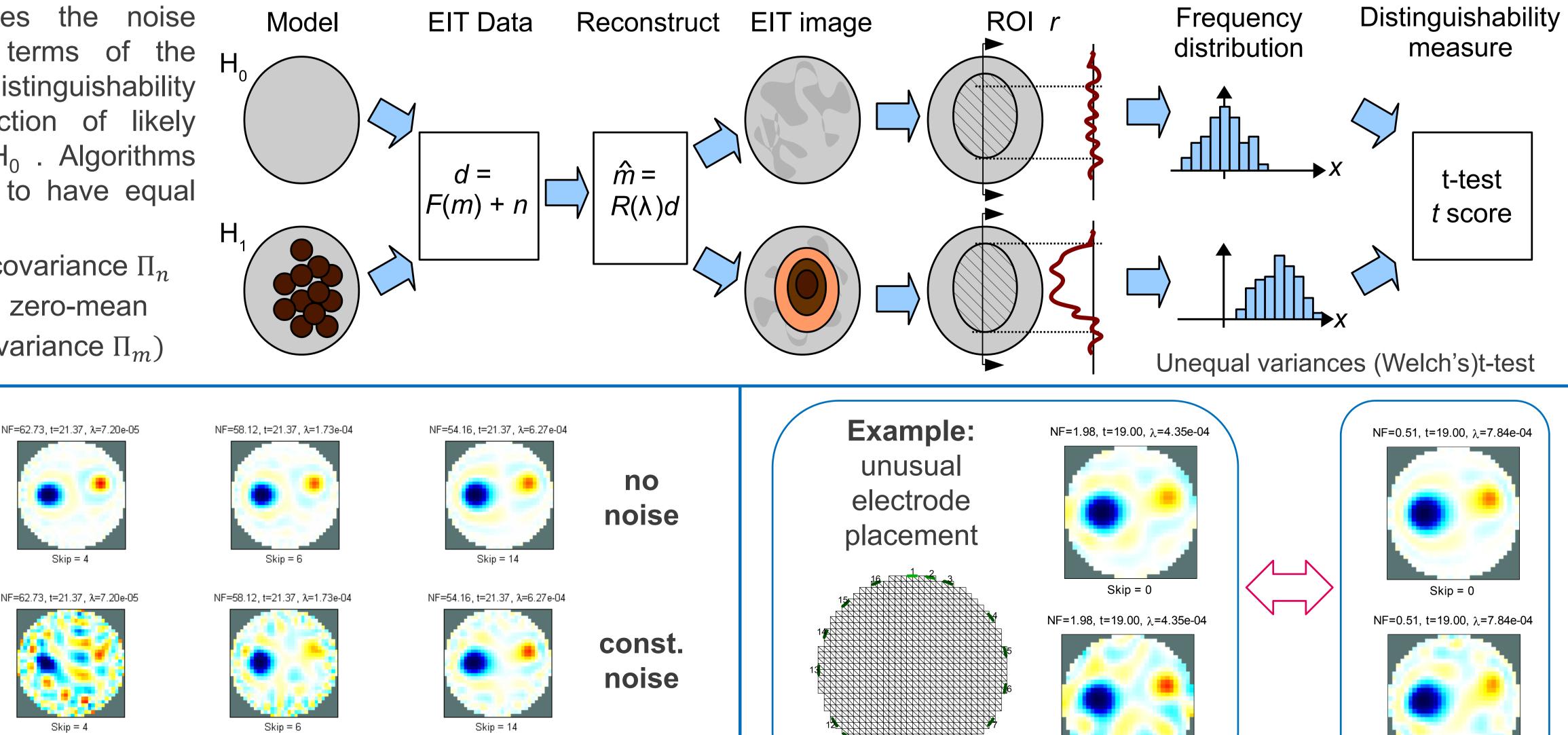
NF=0.50, t=21.37, λ=8.04e-04

Skip = 0

NF=0.50, t=21.37, λ=8.04e-04

Skip = 0

framework estimates the noise The proposed performance of an algorithm in terms of the H, distinguishability of contrasts. Distinguishability measures the probability of detection of likely targets,  $H_1$ , from the background,  $H_0$ . Algorithms with equal p(detection) are defined to have equal noise performance.



- Noise model *n* characterized by covariance  $\Pi_n$ 
  - Independent uniform Gaussian zero-mean
- Likely targets m (mean  $\overline{m}$  and covariance  $\Pi_m$ )

NF=5.18, t=21.37, λ=1.70e-04

Skip = 1

NF=5.18, t=21.37, λ=1.70e-04

Skip = 1

Increasing Skip @ Constant Distinguishability t

Skip = 4

Skip = 4